

# **Tropical Waves in Satellite Observations and Reanalyses**

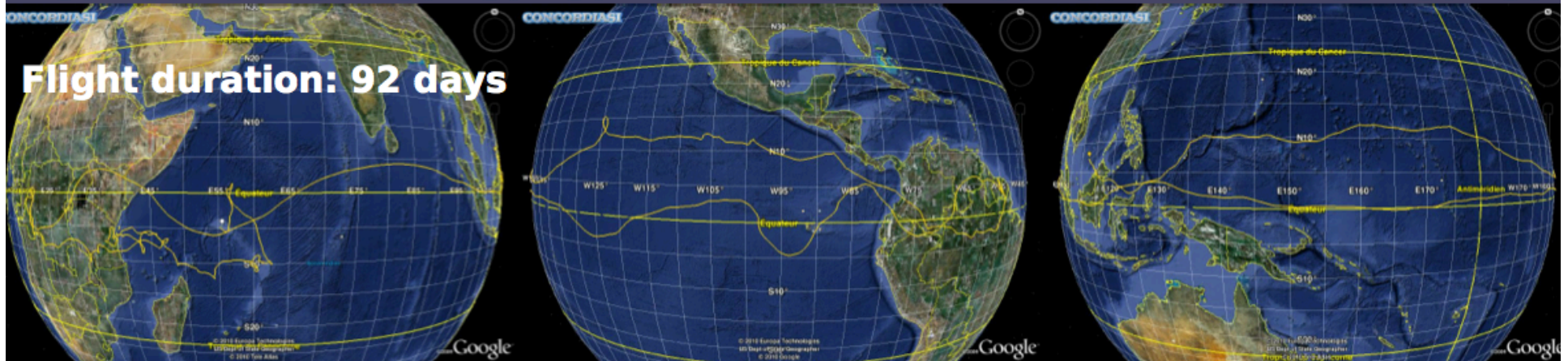
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# Motivation

- Pre-Concordiasi, Seychelles Is., Feb-May 2010: 3 balloons



**Super-pressure balloons drifted at 60hPa measuring tropical winds for several months.**

**Podglagen et al [2014] use these measurements to assess the accuracy of tropical analyses.**

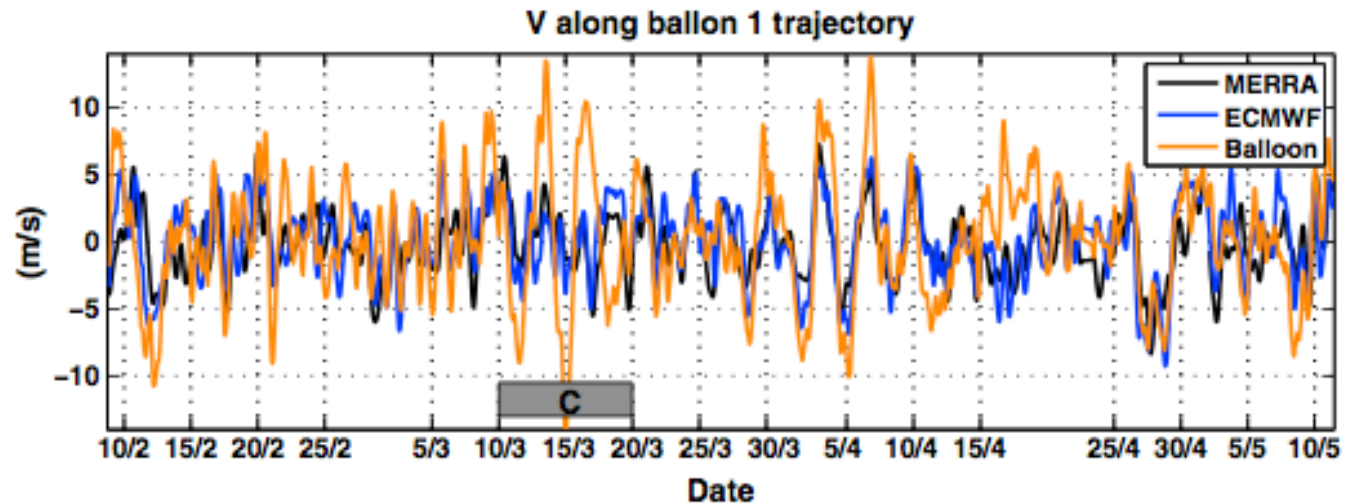
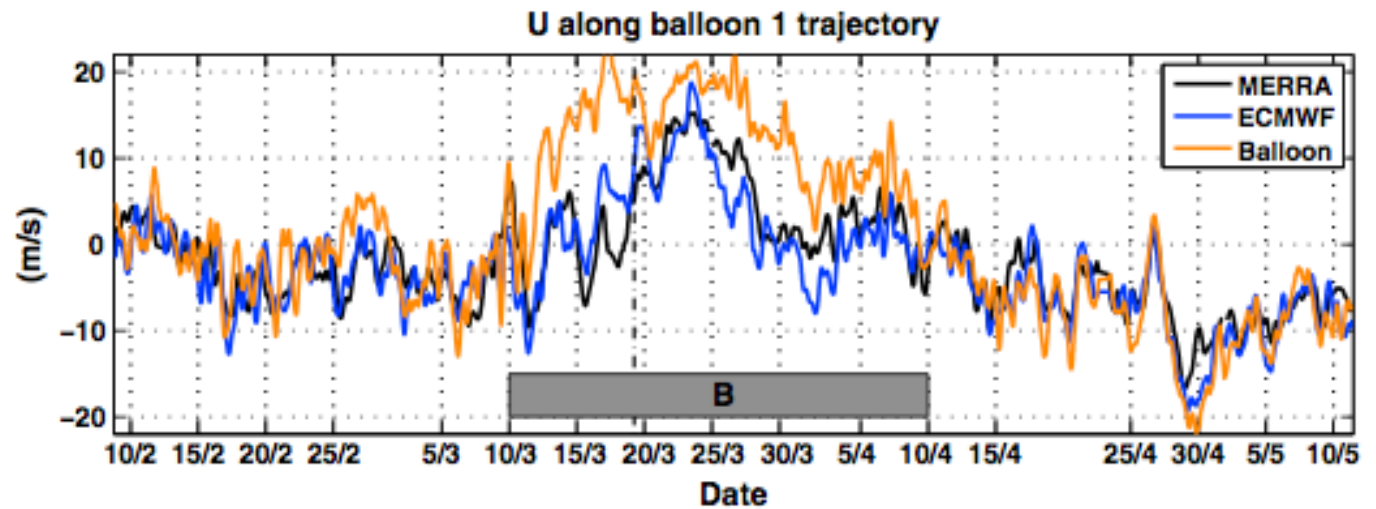


# Motivation

[Podglagen et al 2014]

MERRA and ECMWF analysis sampled along the balloon track showed large errors in winds 10-20m/s.

Errors traced to Kelvin and Yanai waves over the Indian Ocean and Eastern Pacific.

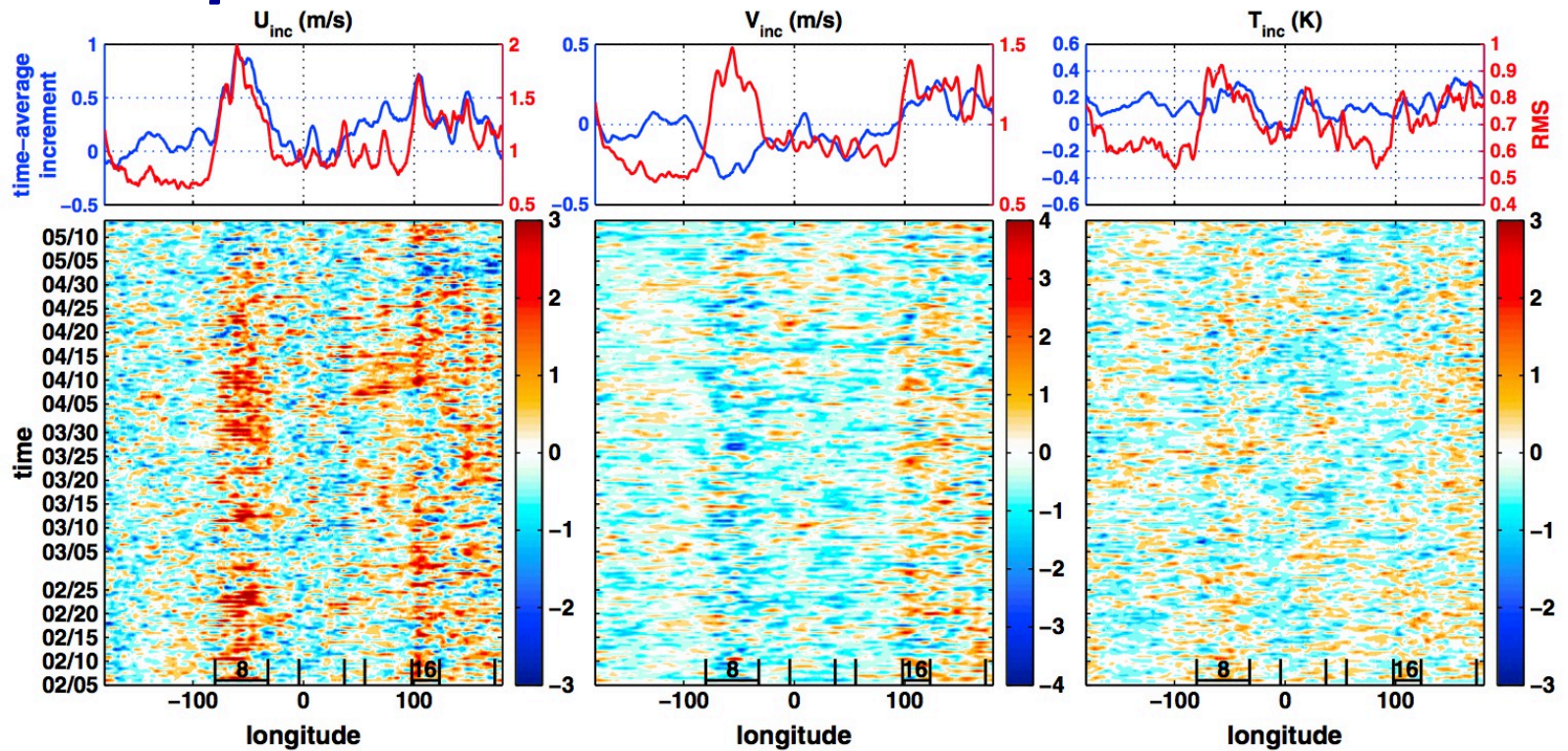




# Motivation

[Podglagen et al 2014]

Analysis  
increments



- Tropical analysis wind increments are clustered in longitude where radiosondes are located.
- Temperatures increments are more uniformly distributed (GPS is assimilated).
- Temperatures and winds are not properly coupled, so tropical waves may be misrepresented.

# Tropical Waves in Satellite Observations

Using high-resolution satellite observations for independent examination of tropical wave properties.

High Resolution Dynamics Limb Sounder (HIRDLS) provided 3 years of measurements; over 5500 temperature profiles per day.

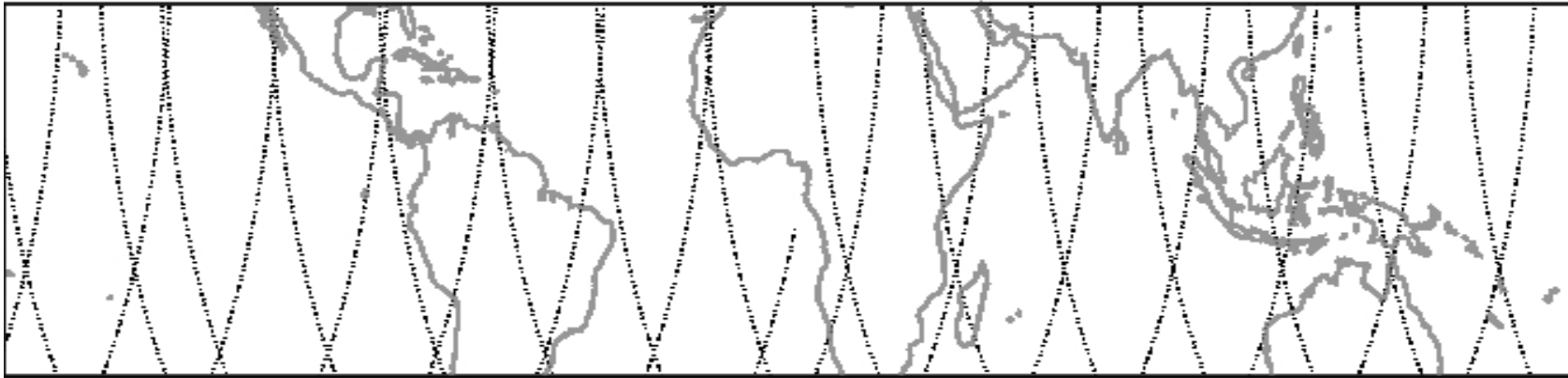
HIRDLS observed in the IR, so only measurements above clouds.

Using the Salby [1982] method for asynoptically sampled satellite data to derive spectral properties of waves as  $\exp(-i\omega t + is\lambda)$  at high vertical ( $\sim 1$  km) and latitudinal ( $\sim 1^\circ$ ) resolution.

# High Resolution Dynamics Limb Sounder

## Advantage of HIRDLS Sampling: Comparison to SABER and GPS

### Example: single day of HIRDLS profile measurements



	<u>HIRDLS</u>	<u>SABER</u>	<u>GPS</u>
Vertical Resolution	1.2 km	~2-2.5km	1 km
Zonal resolution	wn ~ 7	wn ~ 7	wn<8?
10S-10N profiles/day	~650	~200	~200*

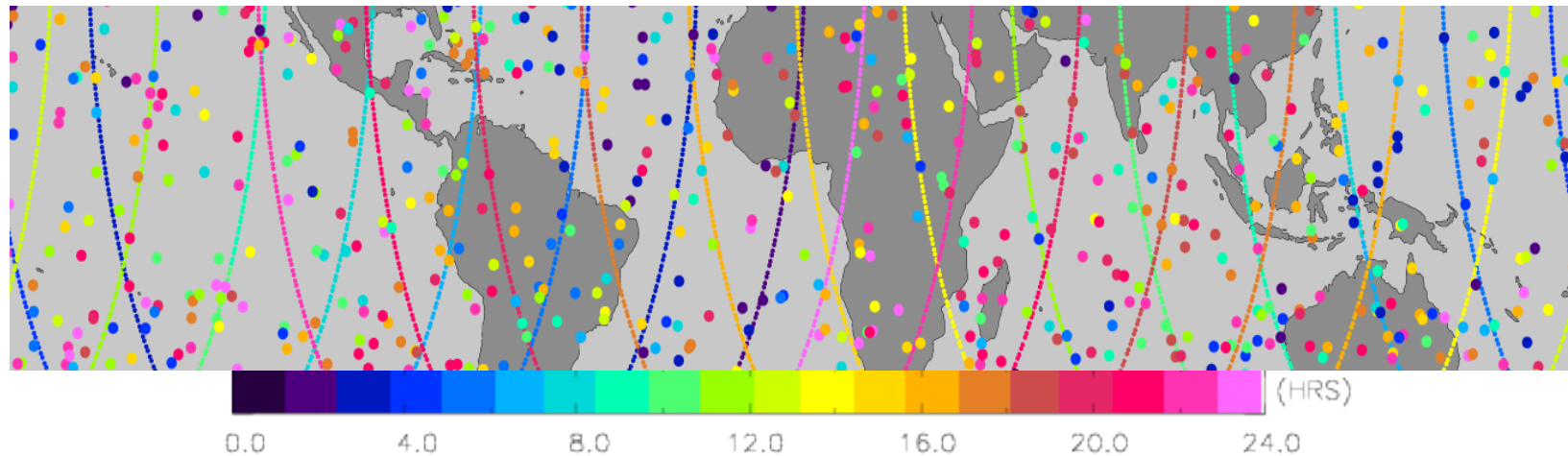
\* Champ + COSMIC

- **HIRDLS vertical resolution like GPS; much higher 1° latitudinal resolution**
- **3 years of observations: January 2005 – March 2008**

# High Resolution Dynamics Limb Sounder

## Advantage of HIRDLS Sampling: Comparison to SABER and GPS

### Example: single day of HIRDLS profile measurements



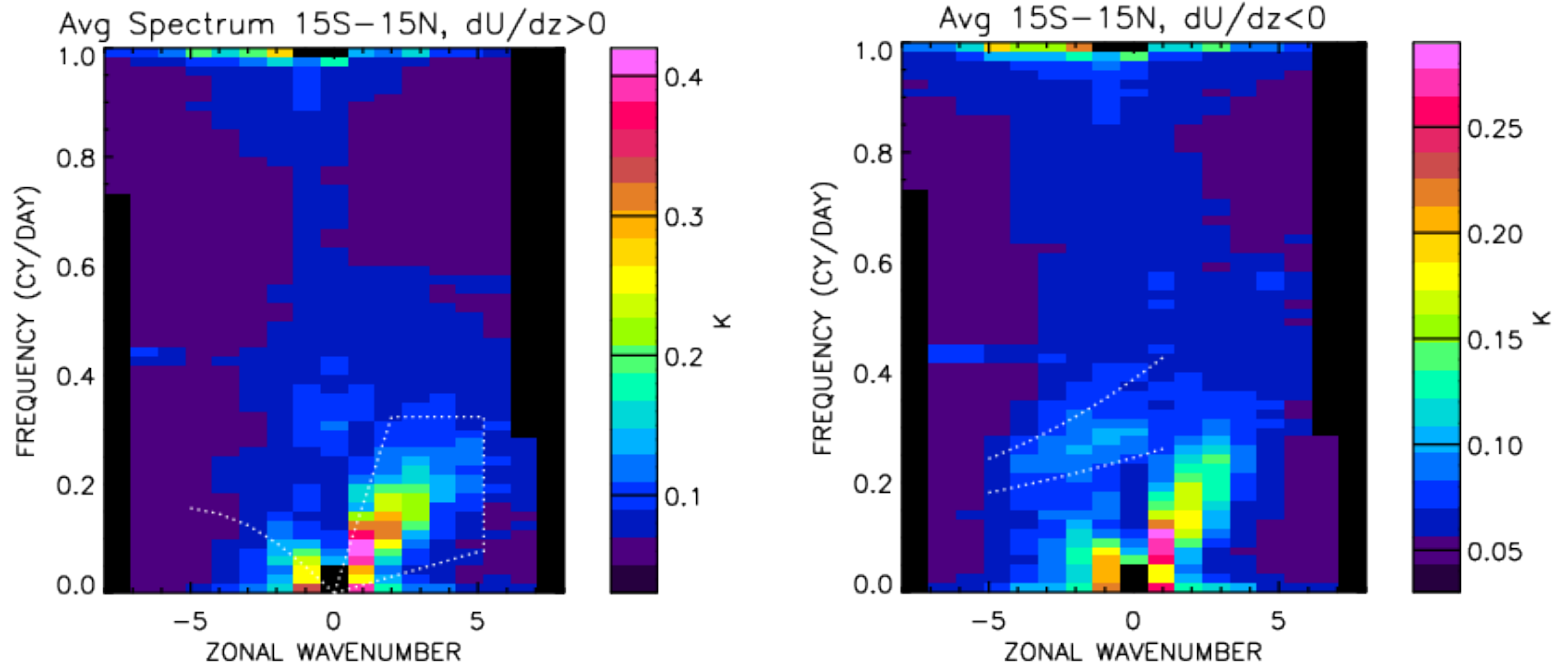
	<u>HIRDLS</u>	<u>SABER</u>	<u>GPS</u>
Vertical Resolution	1.2 km	~2-2.5km	1 km
Zonal resolution	wn ~ 7	wn ~ 7	wn < 8?
10S-10N profiles/day	~650	~200	~200*

\* Champ + COSMIC

- **HIRDLS sampling is advantageous for wavenumber-frequency analysis of tropical waves.**

# Asynoptic Fourier Analysis (Salby Method)

## HIRDLS Temperature Spectra



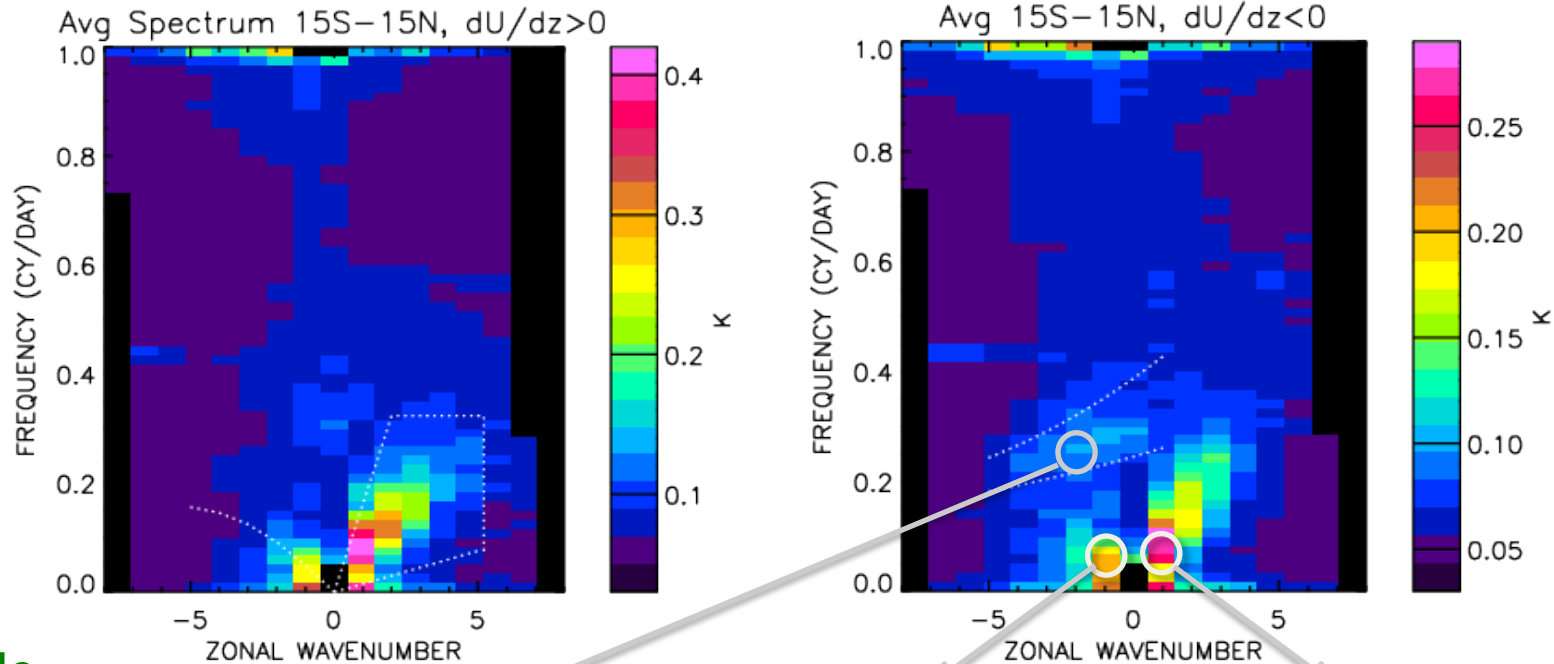
**Wavenumber-frequency spectrum of HIRDLS temperatures,  $z=15-32$  km**  
**Wave periods 1-60 days**  
**Averaged:  $15^{\circ}\text{S}-15^{\circ}\text{N}$ ; 3 years January 2005-2008.**

**Left: Eastward shear with  $U < 8\text{m/s}$**   
**Right: Westward shear with  $U > -20\text{m/s}$**

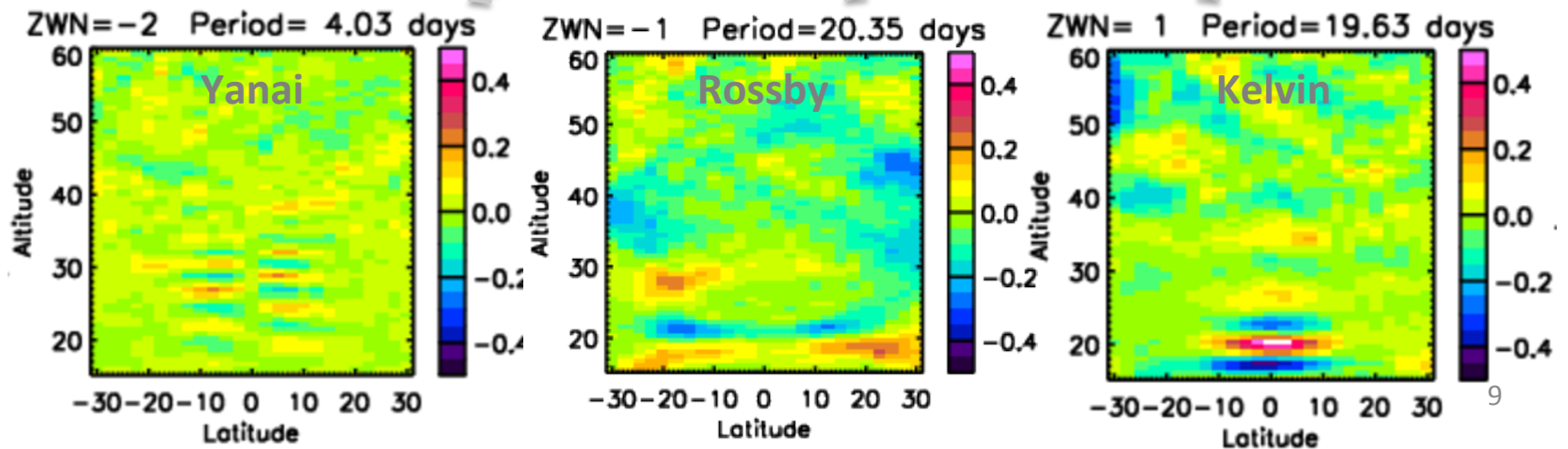


# Asynoptic Fourier Analysis (Salby Method)

## HIRDLS Temperature Spectra

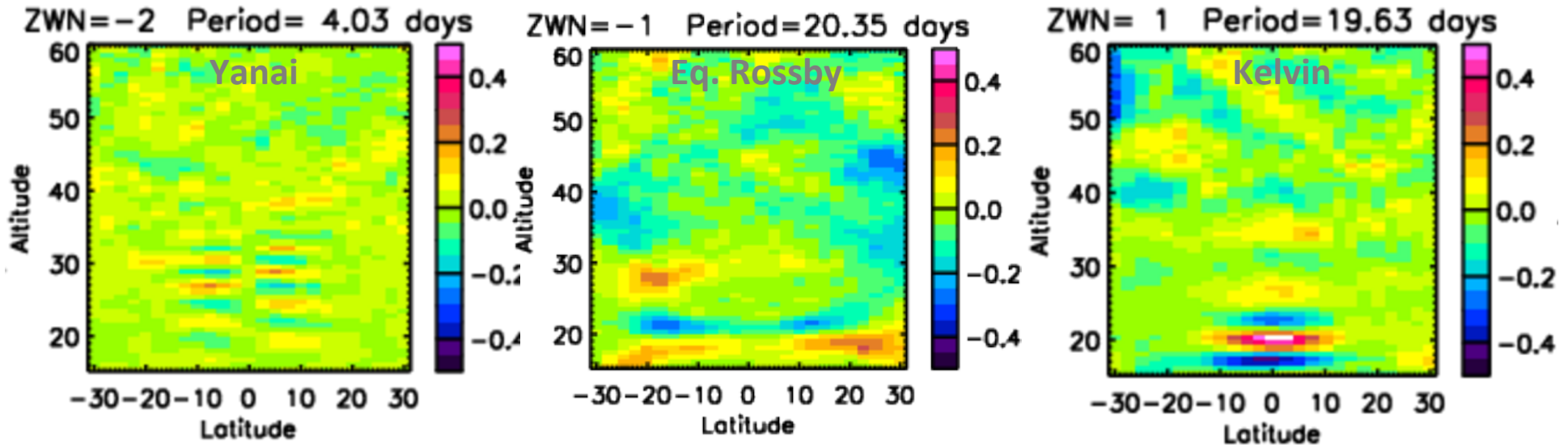


Sample modes:



# Asynoptic Fourier Analysis (Salby Method)

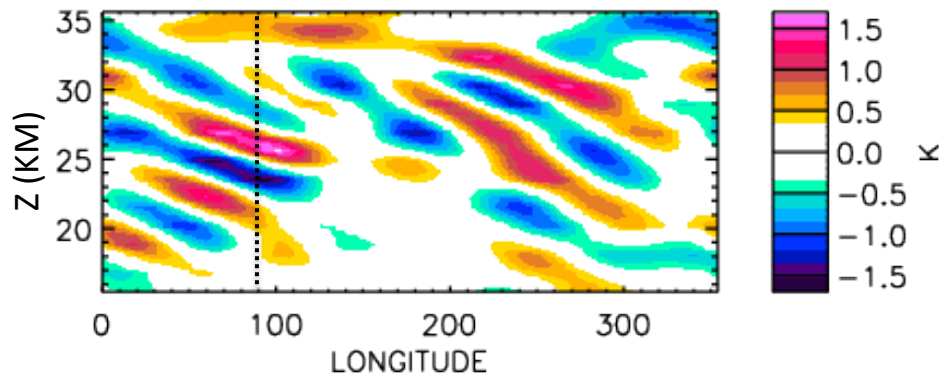
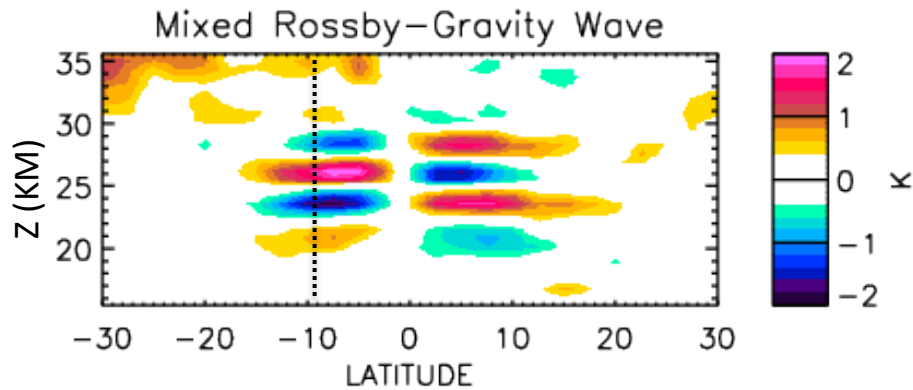
## Modal Latitude-Height Structures



- Individual spectral points from a 60-day time series.
- Color shows real part of the complex amplitude.
- Each point in latitude and height in these plots results from a completely independent spectral analysis.
- Symmetric/asymmetric structures confined to the tropical latitudes validate the interpretation of these signals.
- Vertical wavelengths near the limits of resolution are clearly visible.

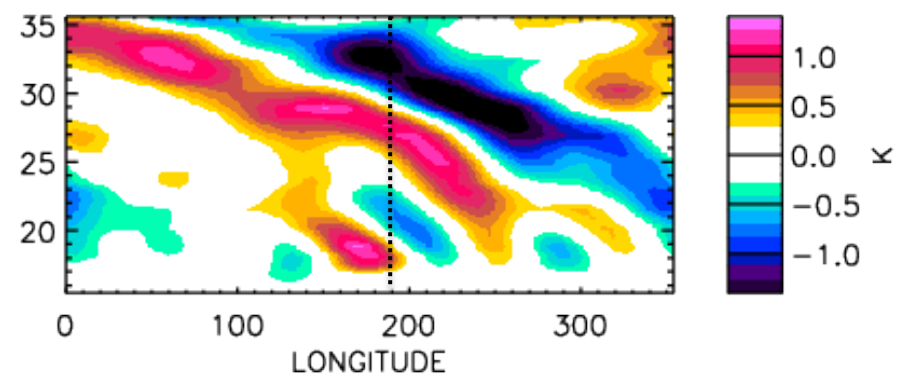
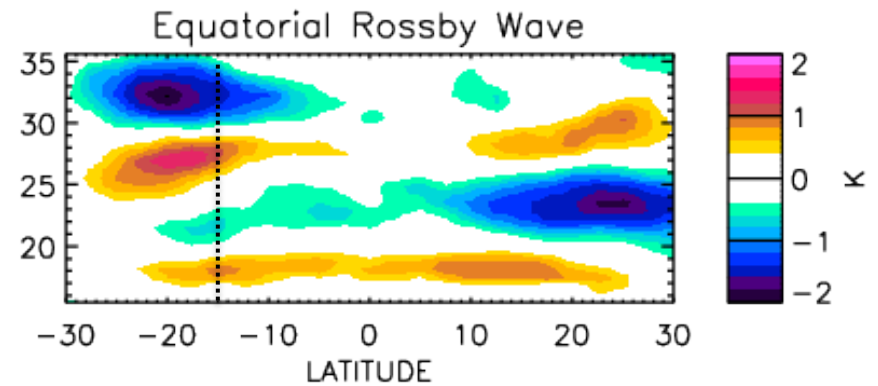
# Example Wave Events

## Yanai wave Day 305 2006



**Filter:  $s = -5$  to  $0$ ;  $\lambda_z = 4-10\text{km}$**   
 Mixed Rossby-gravity strong event with  $wn \sim 3$ , although these waves appear weak in averaged spectrum.

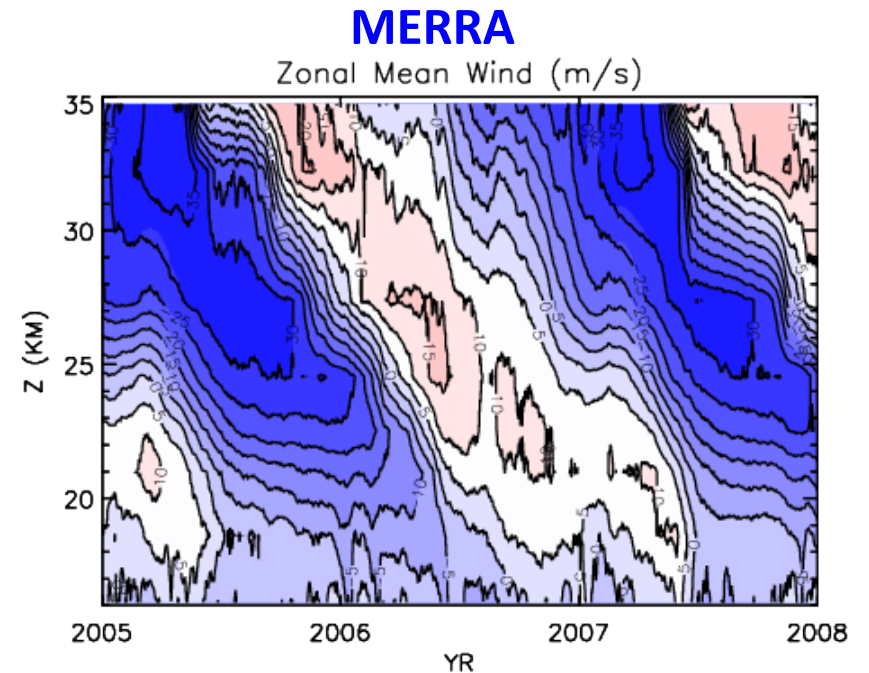
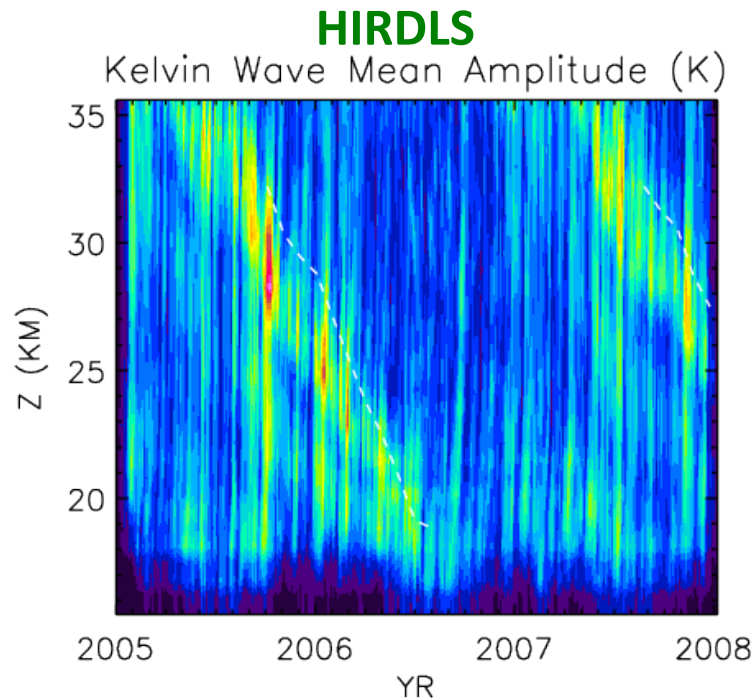
## Equatorial Rossby wave Day 354 2006



**Filter:  $s = -5$  to  $-1$ ;  $\lambda_z < 20\text{km}$ ;  $Pd > 32d$**   
 Example displays clear  $n=1$  symmetric equatorial Rossby wave structure with  $wn \sim 2-4$

# Kelvin Waves

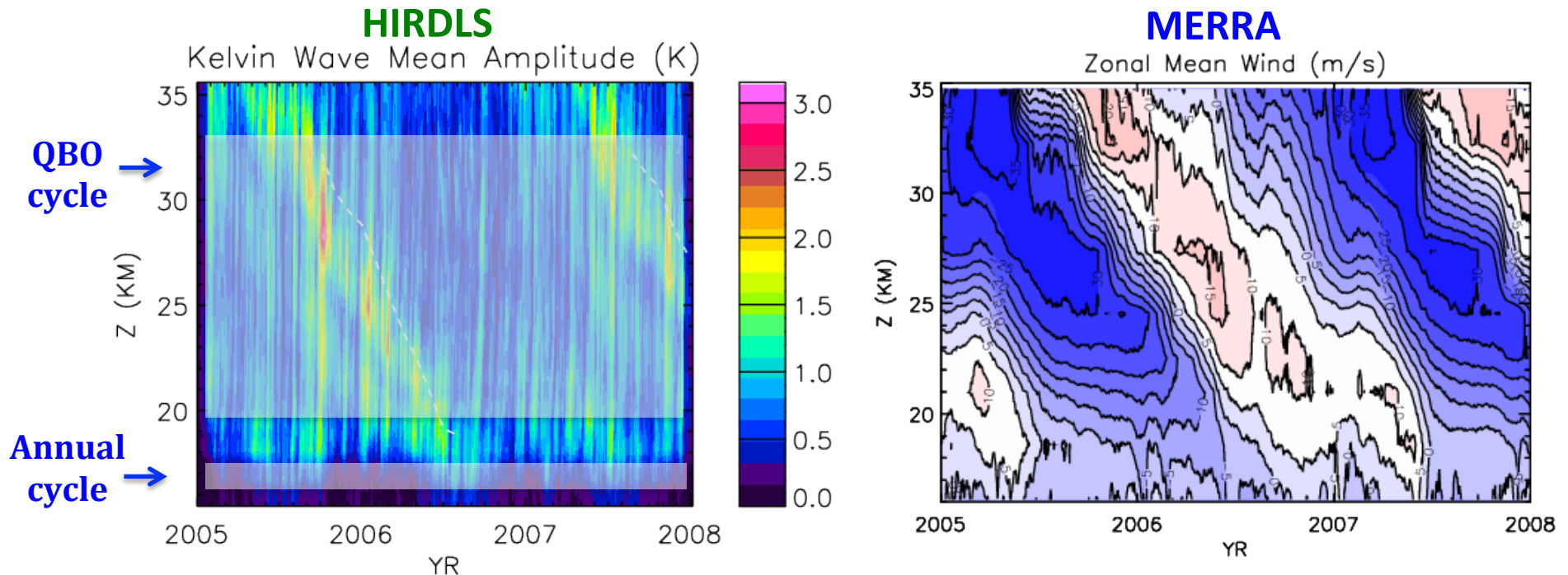
Filter:  $s = 1-5$ ,  $Pd = 3-20$  days,  $c = 7-75$  m/s



- **Bursts of activity associated with faster descent of QBO westerlies.**

# Kelvin Waves

Filter:  $s = 1-5$ ,  $Pd = 3-20$  days,  $c = 7-75$  m/s



- Bursts of activity associated with faster descent of QBO westerlies.
- Amplitude variations switch from annual cycle near the tropopause to a QBO variation above 70 hPa.



# Kelvin Wave Forcing of the QBO

**Kelvin wave  
momentum flux  
from HIRDLS**

$$M = \frac{\rho}{2} \frac{k}{m} \left( \frac{g\tilde{T}}{N\bar{T}} \right)^2$$

Vertical wavenumber from  
the Kelvin wave dispersion  
relation:

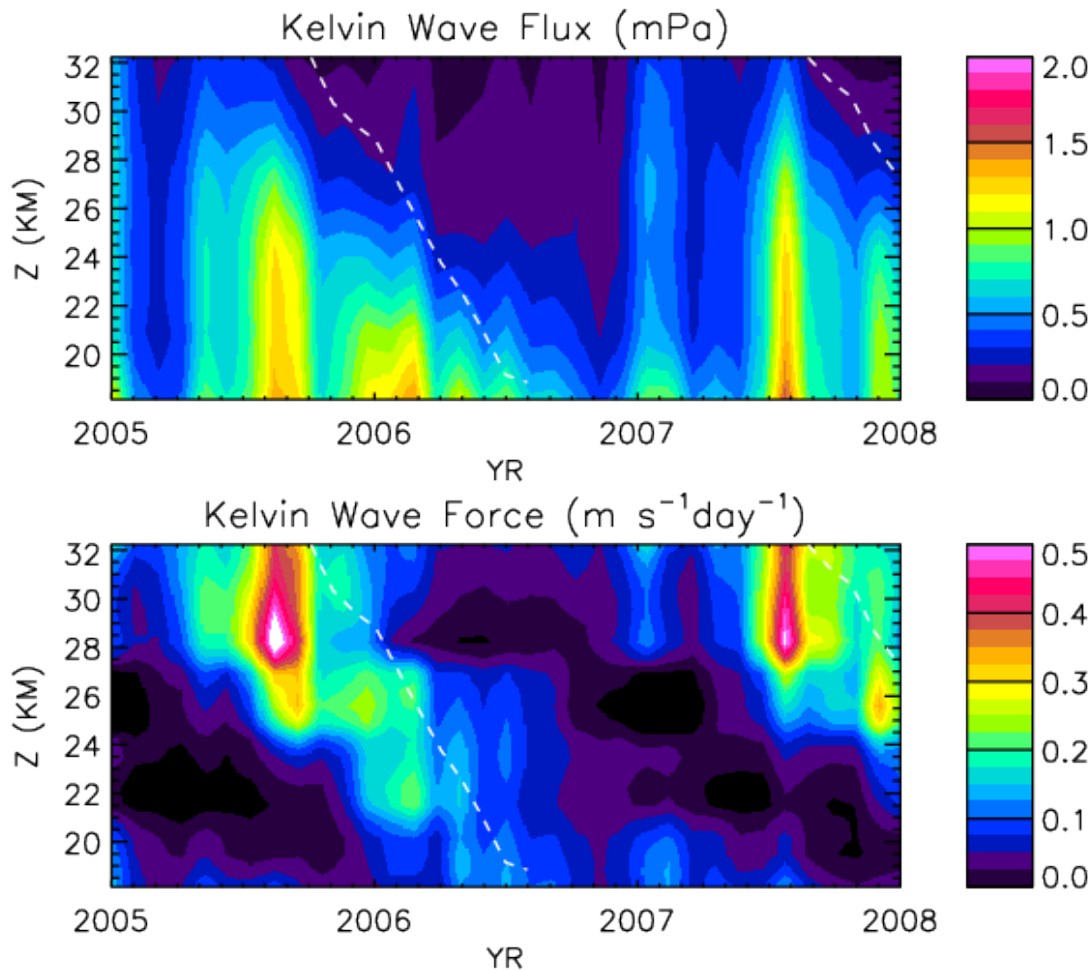
$$m(z) = N(z)k / (\omega - U(z)k)$$

Force driving the QBO:

$$F = \frac{-1}{\rho} \frac{\partial M}{\partial z}$$

**Force derived from  
HIRDLS temperatures:**

**Kelvin waves provide  
50% of the total force  
needed to drive descent  
of QBO westerlies**



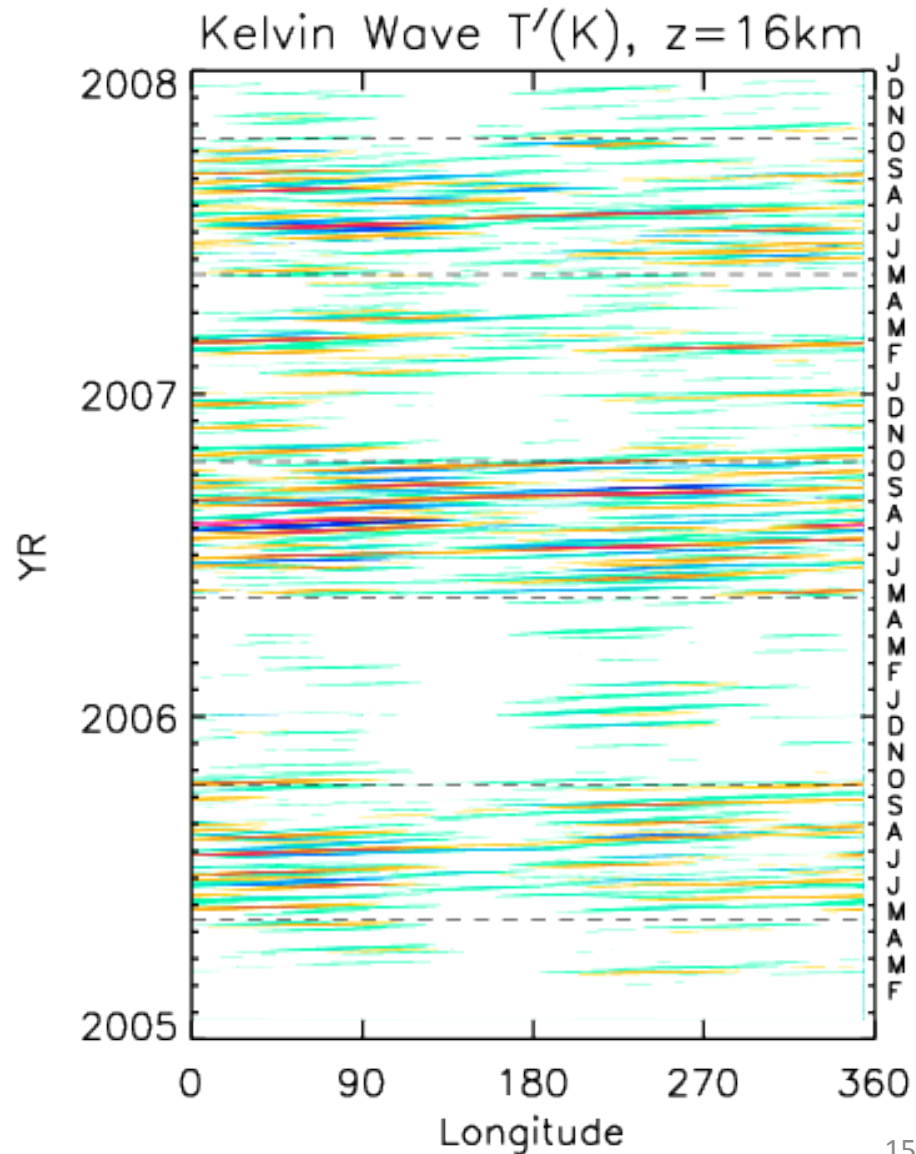
# Kelvin Waves

## HIRDLS Kelvin Waves near the tropopause

Longitude-time Kelvin wave perturbations at the equator.

Annual cycle with maximum amplitudes in Boreal summer at this altitude, gives way to QBO cycle above  $\sim 18$  km.

Largest perturbations often appear over equatorial Africa and Indian Ocean.



# Eliassen-Palm Flux from HIRDLS

## Generalized formula for all HIRDLS-resolved tropical modes

**Vector EP-flux**

$$F^{(z)} = \rho a \cos\theta \left[ \frac{\bar{Z}}{N^2} \overline{v' \Phi'_z} - \overline{w' u'} \right] \quad \bar{Z} = f - (a \cos\theta)^{-1} (\bar{u} \cos\theta)_\phi$$

$$F^{(y)} = \rho a \cos\theta \left[ \frac{\bar{u}_z}{N^2} \overline{v' \Phi'_z} - \overline{v' u'} \right] \quad \bar{f} = f + (\bar{u} \tan\theta) / (2a)$$

**For waves of the form**  $\exp(-i\omega t + is\lambda + \phi(\theta, z))$

$$F^{(z)} = \frac{\rho s}{2N^2} \text{Re}[i \hat{\Phi} \hat{\Phi}_z^*] \quad y = a\theta$$

$$F^{(y)} = \frac{\rho s}{2(\tilde{\omega}^2 - \bar{f} \bar{Z})} \text{Re}[i \hat{\Phi} \hat{\Phi}_y^*] \quad \tilde{\omega} = \omega - s\bar{u}$$

**For single mode assume the phase**  $\phi(y, z) = \exp(imz + \phi_0(y))$

**EP-flux in terms of temperature and wave properties**

$$F^{(z)} = \frac{\rho s}{2m} \frac{g^2}{N^2} \frac{|\hat{T}|^2}{\bar{T}^2}$$

$$F^{(y)} = \frac{\rho s g^2 \partial_y \phi}{2m^2 (\tilde{\omega}^2 - \hat{f} \bar{Z})} \frac{|\hat{T}|^2}{\bar{T}^2}$$

**All observed by HIRDLS and zonal mean wind from reanalysis**

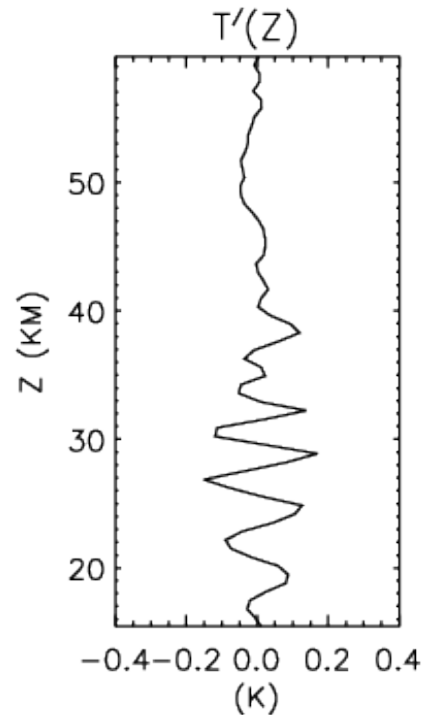
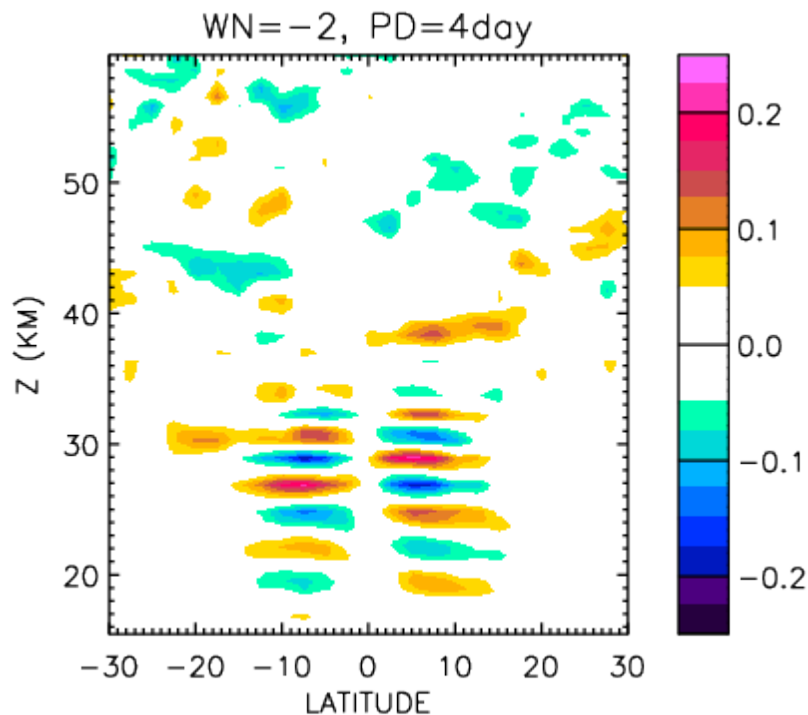
# Eliassen-Palm Flux from HIRDLS

Compute  $m(z)$  for vertical EP-flux  $F^{(z)}$  with S-Transform

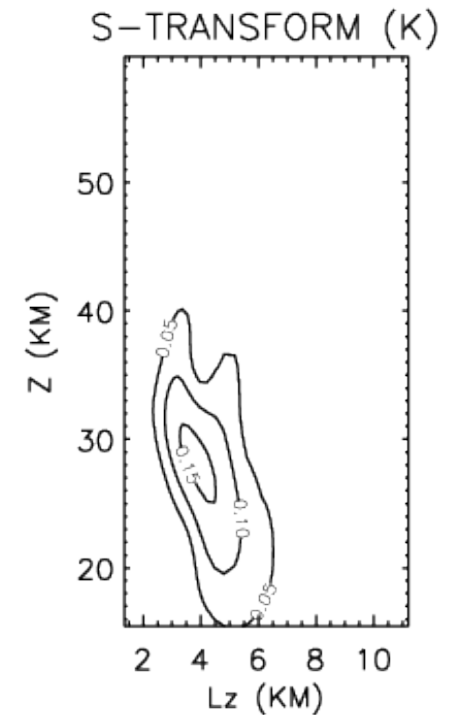
[Stockwell et al. 1996]

$$F^{(z)} = \frac{\rho s}{2m} \frac{g^2}{N^2} \frac{|\hat{T}|^2}{\bar{T}^2}$$

Single Mode ( $s, \omega$ )



Amplitude ( $m, z$ )

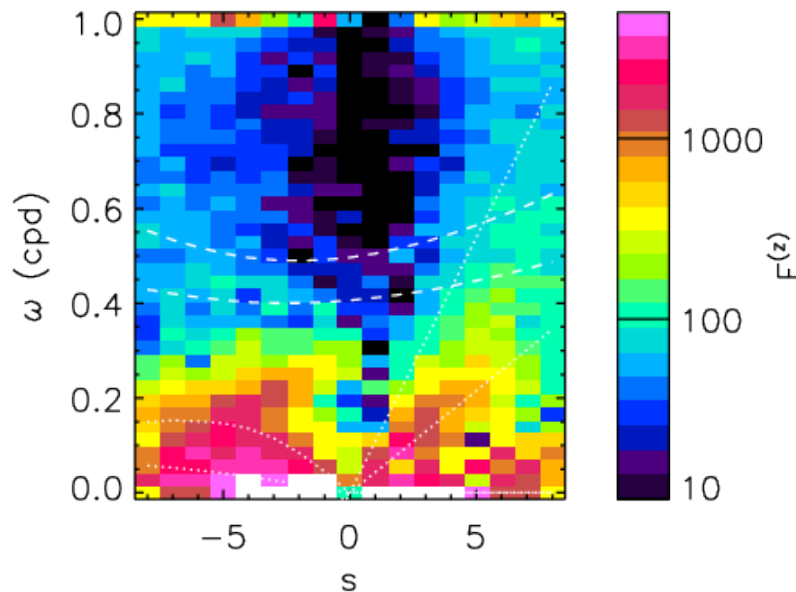


# Vertical EP Flux in MERRA 100hPa

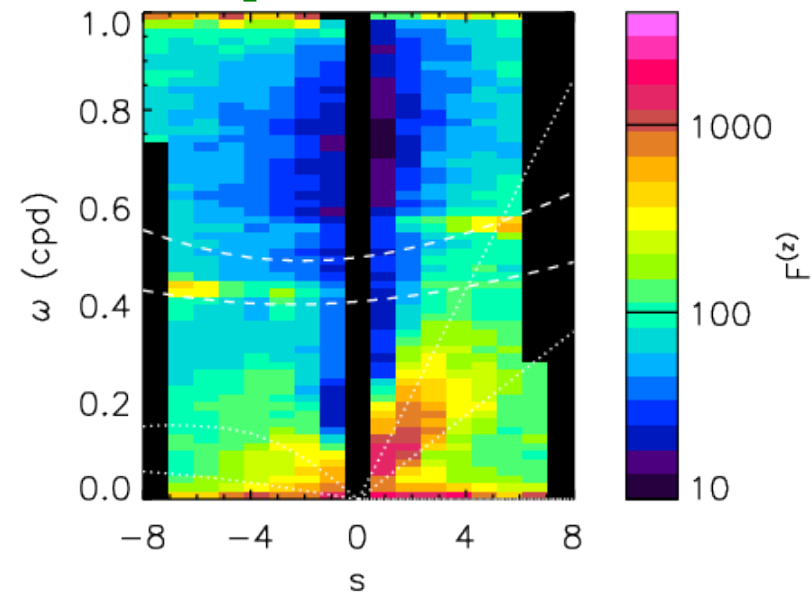
$$F^{(z)} = \rho a \cos\theta \left[ \frac{\bar{Z}}{N^2} \overline{v' \Phi'_z} - \overline{w' u'} \right]$$

$$F^{(z)} = \frac{\rho s}{2m} \frac{g^2}{N^2} \frac{|\hat{T}|^2}{\bar{T}^2}$$

**With MERRA winds  
and temperatures**



**MERRA temperatures-only  
sampled like HIRDLS**

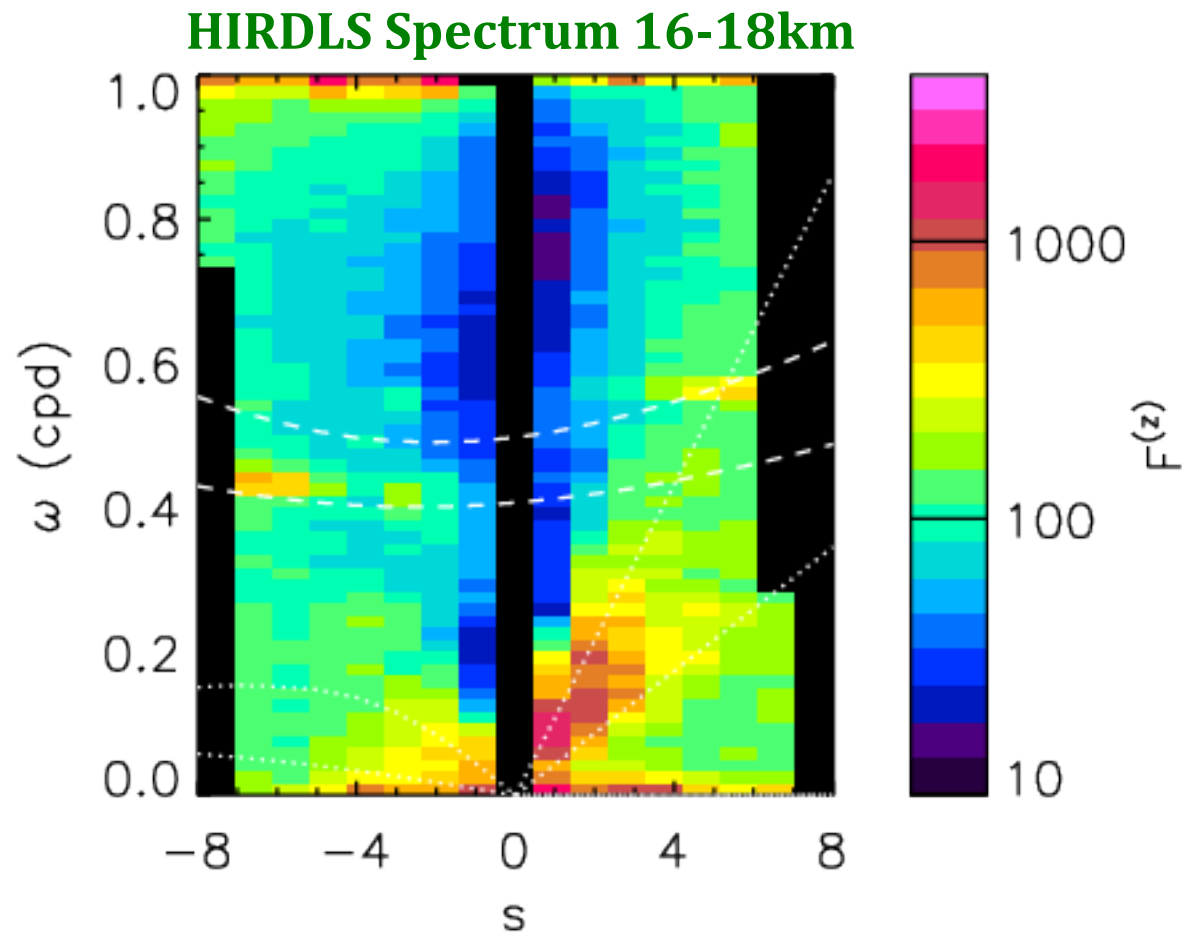


- Equatorial Rossby modes are severely under-represented with T only
- Method is localized in height by using S-Transform to compute  $m(z)$ , but not localized to an individual level.



# Eliassen-Palm Flux Spectrum

**Vertical EP-flux  $F(z)$**  
$$F(z) = \frac{\rho s}{2m} \frac{g^2}{N^2} \frac{|\hat{T}|^2}{\bar{T}^2}$$

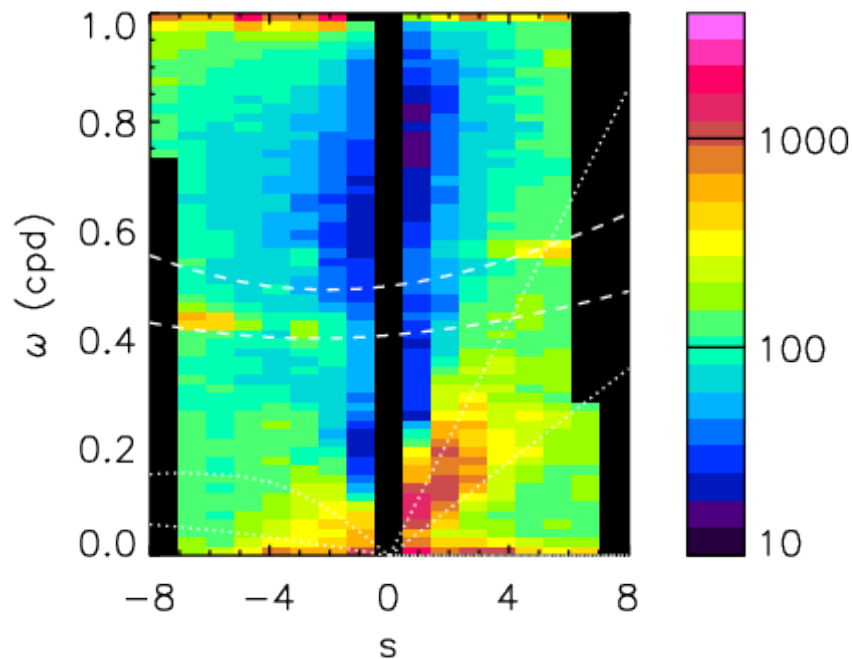


# Eliassen-Palm Flux Spectrum

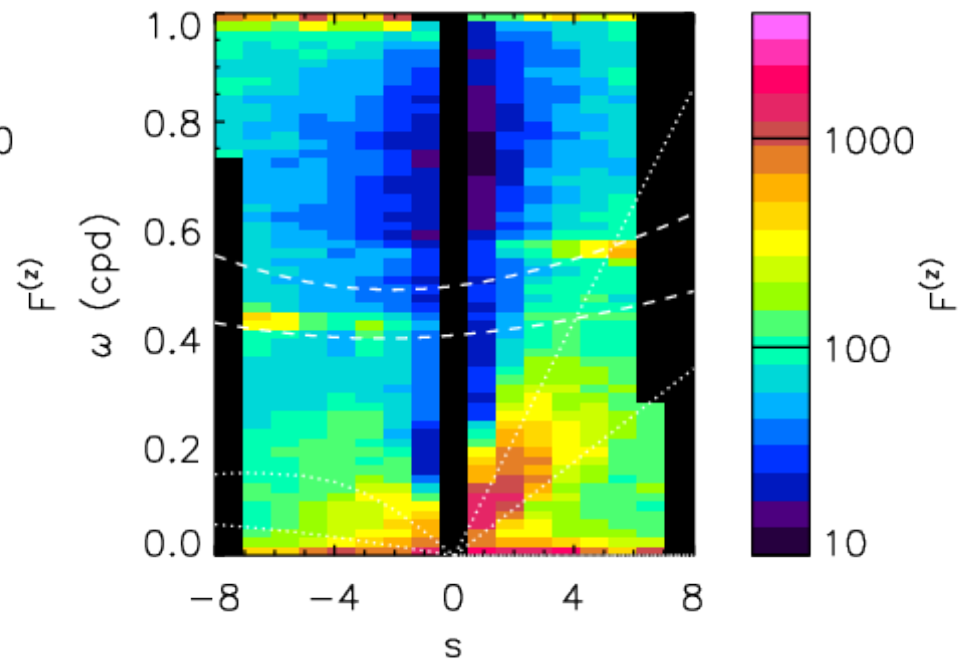
Vertical EP-flux  $F^{(z)}$

$$F^{(z)} = \frac{\rho s}{2m} \frac{g^2}{N^2} \frac{|\hat{T}|^2}{\bar{T}^2}$$

HIRDLS



MERRA sampled like HIRDLS



# Eliassen-Palm Flux Spectrum

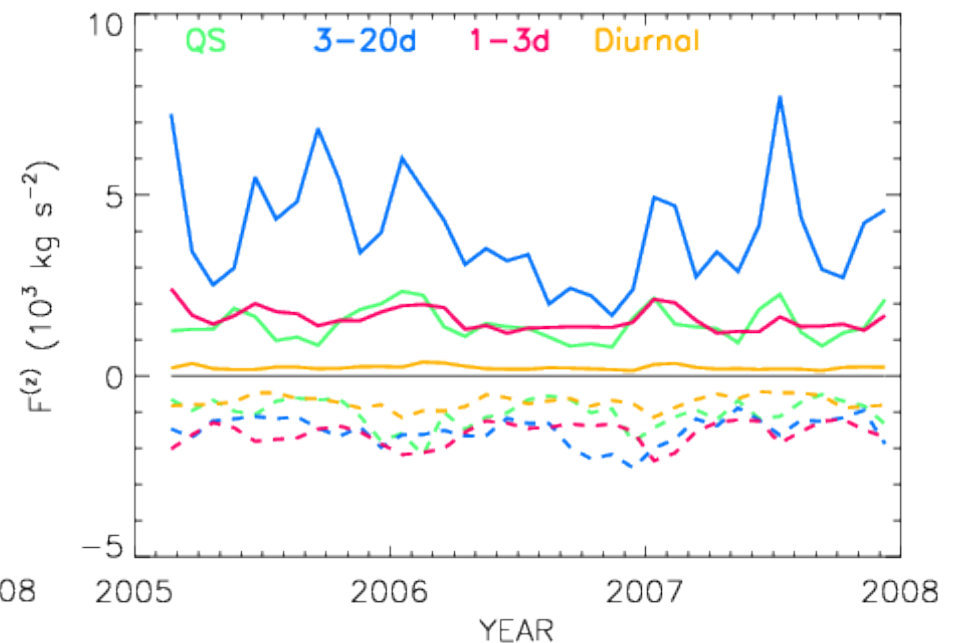
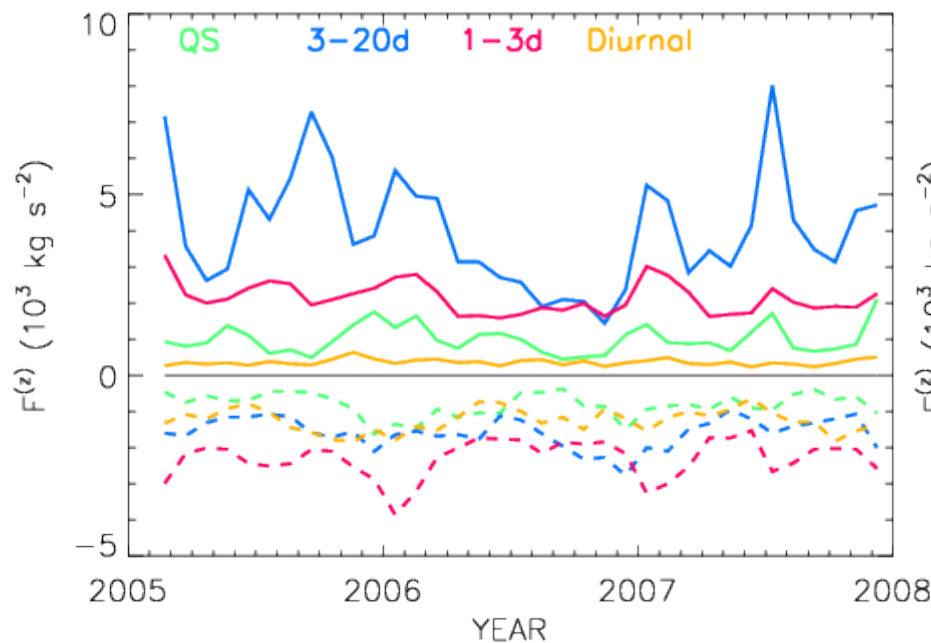
## Vertical EP-flux $F^{(z)}$ versus time

HIRDLS

MERRA sampled like HIRDLS

Equatorial Rossby Kelvin

Inertia-gravity Tides

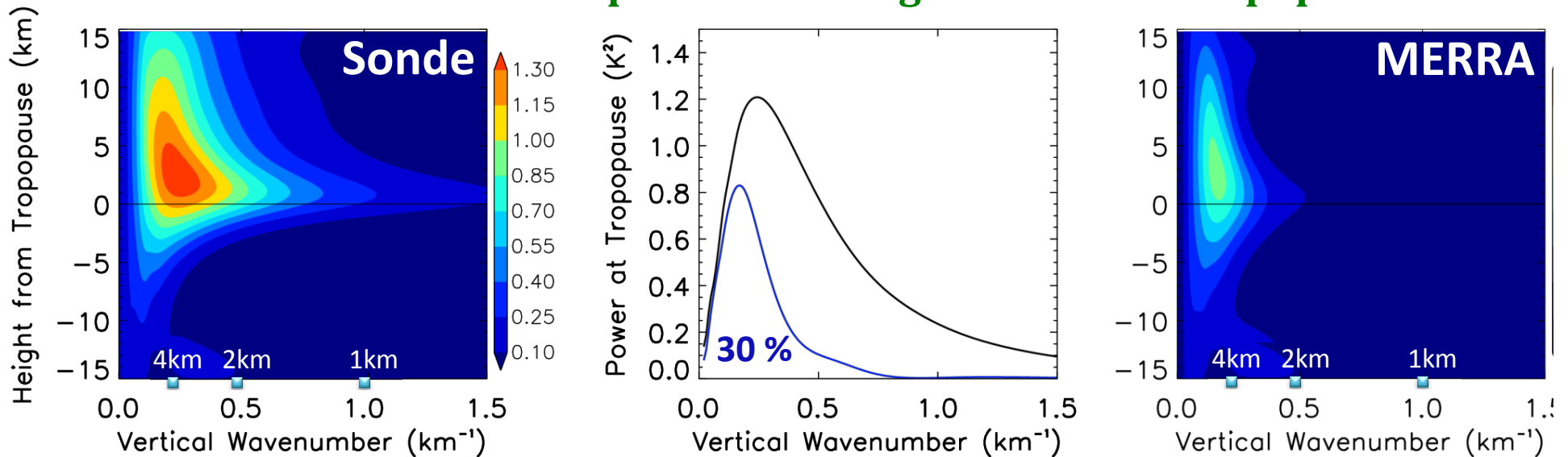


- Primary difference appears in the **inertia-gravity wave** band.
- HIRDLS fluxes are 50% larger and rival Kelvin wave fluxes at times!
- Why aren't these large-scale  $wn=1-6$  waves better represented?

# Wave Vertical Structure

## Tropical radiosondes [Kim et al. 2015 (in preparation)]

### Vertical wavenumber spectrum vs height relative to tropopause

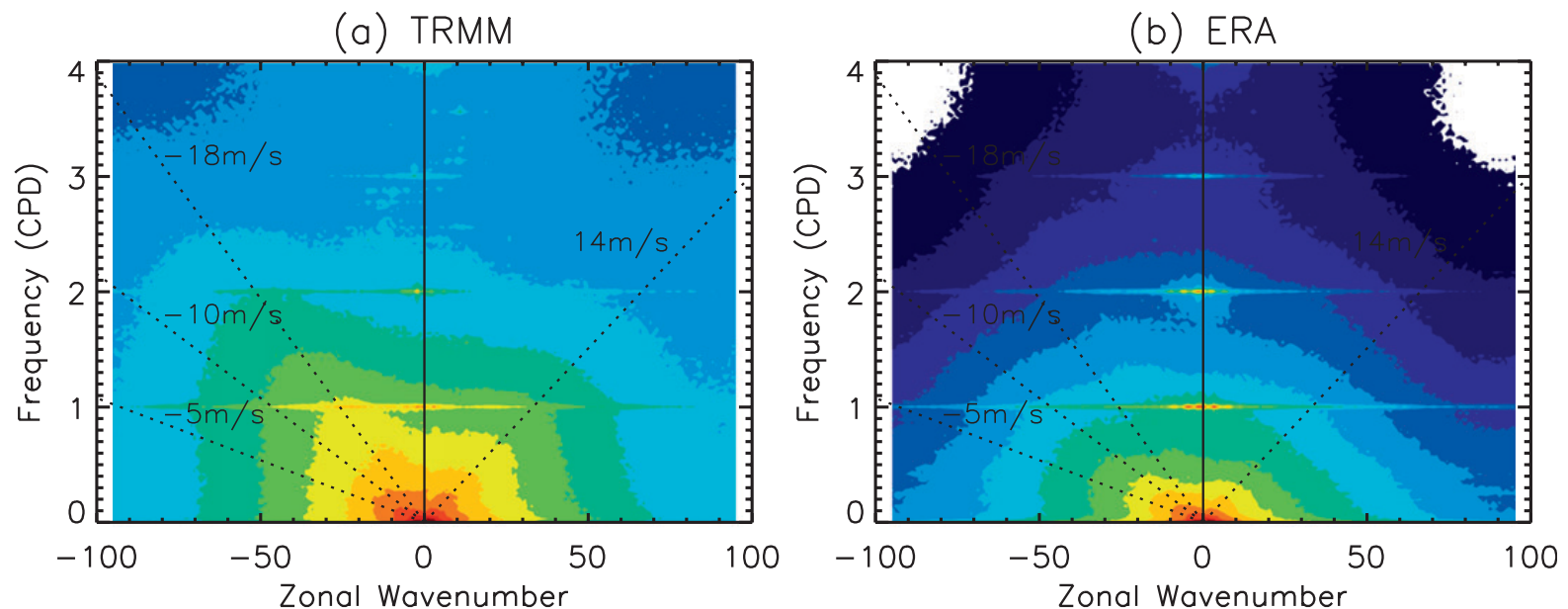


- Similar result for ERA-Interim
- Short vertical scales are marginally resolved even in today's ECMWF analyses

# Precipitation Variability in Reanalyses

Kim and Alexander [2013]

## Wavenumber-Frequency Spectrum of Tropical Precipitation



- Precipitation variability at higher frequencies is lacking in reanalyses
- Indicates sources of tropical inertia-gravity waves are under-represented



# Summary & Conclusions

- **Analysis and reanalysis fields sometimes show large errors associated with misrepresentation of tropical waves.**
- **$W_n=1-6$  eastward and westward inertia-gravity waves are generally under-represented in reanalyses.**
- **Causes of these errors are likely associated with underlying model vertical resolution and under-representation of precipitation variability.**

# References

- Alexander, M. J. and D. A. Ortland, 2010: Equatorial waves in High Resolution Dynamics Limb Sounder (HIRDLS) data, *J. Geophys. Res.-Atmos.*, **115**, D24111, doi:10.1029/2010JD013860.
- Alexander, M. J., D. A. Ortland, and J.-E. Kim, 2015: Spectrum of tropical wave Eliassen-Palm flux: Comparison of satellite and reanalysis data, (*in preparation*).